

Multi-Modal Graph Neural Network with Transformer-Guided Adaptive Diffusion for Preclinical Alzheimer Classification

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INTRODUCTION

- ▶ **Key Idea: Guiding diffusion process at each node by a downstream transformer via diffusion-kernel and multi-head attention.**
- ▶ **Problem: Limitations in interpreting the brain networks in a scenario with multiple imaging biomarkers.**
	- Convolutional approaches ineffectively aggregate information from distant nodes, while attention-based methods exhibit deficiencies in capturing node-centric information, particularly in retaining critical properties from pivotal nodes.
	- These shortcomings reveal challenges for identifying disease-specific variation from diverse features from different modalities.

▶ **Contribution:**

▶ From Spectral Graph Theory, the choice of a kernel function determines specific graph characteristics. A heat-kernel between nodes *p* and *q* is spanned by *U* as

• Proposing a novel framework to aggregate both short- and long- range properties

for better prediction of graph labels.

- Demonstrating superior performance on graph classification in comparisons to the state-of-the-art methods.
- Showing interpretability on the brain networks in a scenario with multiple imaging biomarkers.

PRELIMINARY: GRAPH KERNEL CONVOLUTION

An undirected graph $G = \{V, E\}$ with N nodes comprises a node set V and an edge set *E*. A symmetric adjacency matrix *A* and a diagonal degree matrix *D* can be computed from *E*. A graph Laplacian is defined as $L = D - A$. It has a complete set of orthonormal eigenvectors $U = [u_1 | u_2 | ... | u_N]$ and corresponding real and non-negative eigenvalues $0 = \lambda_1 \leq ... \leq \lambda_N$, so does the normalized Laplacian \hat{L} $\hat{L} = D^{-1/2}LD^{-1/2}.$

> *z* $\left(3\right)$

▶ **Modality-wise Self-Attention Block.** The obtained embeddings $\{H_z^m\}$ *Z* } *M* $_{m=1}^{M}$ are inputted to an attention block to compute node-wise attention scores. Using the self-attention scores, a self-attention value is computed as

▶ Transformer-Guided Scale Update. To update a scale s_n^m at the *n*-th node for the *m*-th encoder, the objective function is defined by cross-entropy between the true value *Ytj* and the prediction *Y* ˆ *tj*.

$$
h_s(p,q)=\sum_{i=1}^N e^{-s\lambda_i}u_i(p)u_i(q)
$$
 (1)

where *u_i* is the *i*-th eigenvector. The kernel $e^{-s\lambda_i}$ captures smooth transition between nodes within the scale *s* as a low-pass filter. Graph Fourier transform, i.e., $\hat{\mathsf{x}} = U^{\mathsf{T}}\mathsf{x}$, defines the graph convolution $*$ of a signal $\mathsf{x}(p)$ with a filter h_s as

- ▶ On the same parcellation, region-wise imaging features such as Standard Uptake Value Ratio (SUVR) of metabolic intensity from FDG-PET, β -Amyloid protein from Amyloid-PET and cortical thickness from MRI were measured.
- ▶ Diagnostic labels: Control (CN), Significant Memory Concern (SMC), Early Mild Cognitive Impairment (EMCI)

i=1

$$
h_s * x(p) = \sum_{i=1}^{N} e^{-s\lambda_i} \hat{x}(i) u_i(p)
$$
 (2)

whose band-width is controlled by the scale *s*.

GNN WITH TRANSFORMER-GUIDED ADAPTIVE DIFFUSION (GTAD)

Figure: Illustration of our framework (GTAD). A novel end-to-end framework GTAD that learns node-centric parameters of a diffusion kernel which are governed by a transformer.

▶ Modality-wise Adaptive Convolution Block. Consider *G* given as $\hat{L} \in \mathbb{R}^{N \times N}$, a set of features (i.e., imaging measures) $X = \{\boldsymbol{x}^m\}_{m=1}^M$ *m*=1 defined on *N* nodes from *M* modalities, a set of trainable scales $\{ s^m \}_{m=1}^{\tilde{M}}$ where $s^m \in \mathbb{R}^N$ and a graph label Y. Each encoder consists of multiple graph convolution layers that adaptively aggregate features for each node with a non-linear activation function σ_z as

$$
H_Z^m = \sigma_Z(e^{-s^m\hat{L}}H_{Z-1}^mW_Z^m)
$$

$$
\phi(Q^m, K^m, V^m) = \sigma\left(\frac{Q^m K^{mT}}{\sqrt{C}}\right) V^m.
$$
\n(4)

Figure: Distribution of attention scores across all brain regions with cortical thickness (left), β -Amyloid (center) and FDG (right).

$$
\mathcal{L} = -\frac{1}{T} \sum_{t=1}^{T} \sum_{j=1}^{J} Y_{tj} \ln \hat{Y}_{tj} + \alpha \frac{1}{M} \sum_{m=1}^{M} \sum_{n=1}^{N} \mathbb{1}_{s < 0} |S_{n}^{m}|.
$$

Update of the modality-specific scales is performed as $s \leftarrow s - \beta \frac{\partial L}{\partial s}$ ∂*s* via gradient-descent with a learning rate β .

ALZHEIMER'S DISEASE NEUROIMAGING INITIATIVE (ADNI)

Table: Demographics of the preclinical ADNI dataset.

CLASSIFICATION RESULT

Table: Preclinical AD classification performance (CN/SMC/EMCI) on ADNI data.

INTERPRETATION OF THE TRAINED GTAD

- ▶ **Discussion on the Scales**
	- The trained model yields node-wise optimized scales, where each node corresponds to a specific ROI in the brain.

Figure: Visualization of learned scales on the cortical regions of left (top) and right (bottom) hemispheres.

▶ **Pre-clinical AD via ROI Attention**

• From the attention block, each ROI gains long-range characteristics from other ROIs by modality-wise attention mechanism.

• Most relevant ROIs in Preclinical AD prediction can be detected by total attention scores that represent the intensity of attention at each ROI in the brain.

0 20 40 60 80 100 120 140 160

▶ **Ablation Study on the Blocks**

• To explore the effect of each block, ablation study on convolution types and attention types for preclinical AD classification is given.

Table: Performance comparisons of different blocks. For attention block, our multi-modal (MM) attention and existing position-wise attention are compared.

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 (5)